

Georgia's K-12 Mathematics Standards Curriculum Map

Implementation beginning Fall 2023

ALGEBRA: CONCEPTS & CONNECTIONS

Georgia Department of Education May 2023



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Georgia's K-12 Mathematics Standards ALGEBRA: CONCEPTS & CONNECTIONS

Semester 1			Semester 2					
Unit 1	Unit 2	Unit 3	Unit 4	Unit 5	Unit 6	Unit 7	Unit 8	Unit 9
Modelina	Analvzing	Investigating	Modeling and	Modeling and	Analvzing	Investigating	Algebraic	Culminating
Linear	Linear	Rational and	Analyzing	Analyzing	Exponential	Data	Connections	Capstone Unit
Functions	Inequalities	Irrational	Quadratic	Exponential	Functions	2 0.00	to Geometric	
1 dilotiono	moquantioo	Numbers	Eunctions	Experience	T difetione		Concents	
		Numbers	T UTICIONS	& Equations			Concepts	
				a Equations				
Interdisciplingry	Interdisciplingry	Interdisciplingry	Interdisciplingry	Interdisciplingry	Interdisciplingry	Interdisciplingry	Interdisciplingry	
Interdisciplinary	interdisciplinary	merdisciplinary	interdisciplinary	merciscipiinary	Interdisciplinary	interdisciplinary	merdisciplinary	
Connection	Connection	Connection	Connection	Connection	Connection	Connection	Connection	
			Tr	aditional Sched	ule			
3 – 4 weeks	1 – 2 weeks	1 – 2 weeks	6 – 7 weeks	2 – 3 weeks	4 – 5 weeks	3 – 4 weeks	2 – 3 weeks	1 – 2 weeks
	Block Schedule							
9 – 12 days	3 – 6 days	3 – 6 days	18 – 21 days	6 – 9 days	12 – 15 days	9 – 12 days	6 – 9 days	2 – 4 days
A.FGR.2	A.PAR.4	A.NR.5	A.PAR.6	A.PAR.8	A.FGR.9	A.DSR.10	A.GSR.3	All standards
A.MM.1	A.MM.1	A.MM.1	A.FGR.7	A.MM.1	A.MM.1	A.MM.1	A.MM.1	A.MM.1
A.MP.1-8	A.MP.1-8	A.MP.1-8	A.MM.1	A.MP.1-8	A.MP.1-8	A.MP.1-8	A.MP.1-8	A.MP.1-8
		,	A MP 1-8		,	/	,	,
			7					
	Ongoing interdisciplinary learning to impact the community and to explain real-life phenomena.							

The concepts presented in each unit are presented based on a logical, mathematical progression. Each unique unit in sequence builds upon the previous unit. The Framework for Statistical Reasoning, Mathematical Modeling Framework, and the K-12 Mathematical Practices should be taught throughout the units.

Mathematical Practices (A.MP.1- 8) should be evidenced at some point throughout each unit depending on the tasks that are explored. It is important to note that MPs 1, 3 and 6 should support the learning in every lesson.

Key for Course Standards: MP: Mathematical Practices, MM: Mathematical Modeling, NR: Numerical Reasoning, FGR: Functional & Graphical Reasoning, GSR: Geometric & Spatial Reasoning, PAR: Patterning & Algebraic Reasoning, DSR: Data & Statistical Reasoning



Year-At-A-Glance					
Semester 1					
Pacing Suggestion	Unit	Content Standards	Learning (Objectives	
Ongoing Embedded Throughout All Units	Mathematical Modeling When students model with mathematics, they develop a more engaging and deeper understanding of the world around them. Students who engage in mathematical modeling will not only be prepared for their chosen career but will also learn to make informed life decisions based on data and the models they create. For this reason, the modeling unit will be embedded throughout the course. See Mathematical Modeling Framework as an Instructional Support.	A.MM.1 A.MP.1-8	A.MM.1.1 A.MM.1.2 A.MM.1.3 A.MM.1.4 A.MM.1.5		
Traditional 3 – 4 weeks Block 9 – 12 days	Unit 1: Modeling Linear Functions Students will construct and interpret arithmetic sequences as functions, algebraically and graphically, to model and explain real-life phenomena. They will use formal notation to represent linear functions and the key characteristics of graphs of linear functions, and informally compare linear and non-linear functions using parent graphs.	A.FGR.2 A.MM.1 A.MP.1-8	A.FGR.2.1 A.FGR.2.2 A.FGR.2.3 A.FGR.2.4 A.FGR.2.5	A.MM.1.1 A.MM.1.2 A.MM.1.4 A.MM.1.5	
Traditional 1 – 2 weeks Block 3 – 6 days	Unit 2: Analyzing Linear Inequalities Students will create, analyze, and solve linear inequalities in two variables and systems of linear inequalities to model real-life phenomena.	A.PAR.4 A.MM.1 A.MP.1-8	A.PAR.4.1 A.PAR.4.2 A.PAR.4.3	A.MM.1.1 A.MM.1.4	
Traditional 1 – 2 weeks Block 3 – 6 days	Unit 3: Investigating Rational and Irrational Numbers Students will investigate rational and irrational numbers and rewrite expressions involving square roots and cube roots. They should be able to use the operations of addition, subtraction, and multiplication, with radicals within expressions limited to square roots and cube roots.	A.NR.5 A.MM.1 A.MP.1-8	A.NR.5.1 A.NR.5.2 A.MM.1.1 A.MM.1.2	A.MM.1.3 A.MM.1.4 A.MM.1.5	
Traditional 6 – 7 weeks Block 18 – 21 days	Unit 4: Modeling and Analyzing Quadratic Functions Students will analyze quadratic functions. Students will (1) investigate key features of graphs; (2) solve quadratic equations by taking square roots, factoring $(x^2 + bx + c AND ax^2 + bx + c)$, completing the square, and using the quadratic formula; (3) compare and contrast graphs in standard, vertex, and intercept forms. Students will only work with real number solutions.	A.PAR.6 A.FGR.7 A.MM.1 A.MP.1-8	A.PAR.6.1 A.PAR.6.2 A.PAR.6.3 A.PAR.6.4 A.FGR.7.1 A.FGR.7.2 A.FGR.7.3 A.FGR.7.4 A.FGR.7.5	A.FGR.7.6 A.FGR.7.7 A.FGR.7.8 A.FGR.7.9 A.MM.1.1 A.MM.1.2 A.MM.1.4 A.MM.1.5	



Year-At-A-Glance				
Semester 2				
Pacing Suggestion	Unit	Content Standards	Learning (Objectives
Traditional 2 – 3 weeks Block 6 – 9 days	Unit 5: Modeling and Analyzing Exponential Expressions and Equations Students will interpret exponential expressions, one variable exponential equations in context, and understand parameters of two variable exponential equations.	A.PAR.8 A.MM.1 A.MP.1-8	A.PAR.8.1 A.PAR.8.2 A.PAR.8.3 A.PAR.8.4	A.MM.1.1 A.MM.1.2 A.MM.1.4 A.MM.1.5
4 - 5 weeks	Unit 6: Analyzing Exponential Functions Students will construct and analyze the graph of an exponential function to explain a contextual situation for which the graph serves as a model; compare exponential with linear and quadratic functions.	A.FGR.9 A.MM.1 A.MP.1-8	A.FGR.9.1 A.FGR.9.2 A.FGR.9.3 A.FGR.9.4	A.FGR.9.5 A.MM.1.1 A.MM.1.4
Traditional 3 – 4 weeks Block 9 – 12 days	Unit 7: Investigating Data Students will collect, analyze, and interpret univariate quantitative data to answer statistical investigative questions that compare groups to solve real-life problems. Students will represent bivariate data on a scatter plot and fit a function to the data to answer statistical questions and solve real-life problems.	A.DSR.10 A.MM.1 A.MP.1-8	A.DSR.10.1 A.DSR.10.2 A.DSR.10.3 A.DSR.10.4 A.DSR.10.5 A.DSR.10.6 A.DSR.10.7	A.MM.1.1 A.MM.1.2 A.MM.1.3 A.MM.1.4 A.MM.1.5
Traditional 2 – 3 weeks Block 6 – 9 days	Unit 8: Algebraic Connections to Geometric Concepts <i>Students will solve problems involving distance, midpoint, slope, area, and perimeter to model and explain real-life phenomena.</i>	A.GSR.3 A.MM.1 A.MP.1-8	A.GSR.3.1 A.GSR.3.2 A.MM.1.1 A.MM.1.3 A.MM.1.4 A.MM.1.5	
Traditional 1 – 2 weeks Block 2 – 4 days	Unit 9: Culminating Capstone Unit (applying concepts in real-life contexts in a culminating interdisciplinary unit) The capstone unit applies content that has already been learned in previous interdisciplinary PBLs and units throughout the school year. The capstone unit is an interdisciplinary unit that allows students to create a presentation, report, or demonstration that could include their models used to answer an overarching driving question. (e.g., Students can present their solution(s), findings, project, or answer to the driving question to a larger audience during the culminating capstone unit.)	All standards A.MM.1 A.MP.1-8	All Associated L Objectives	earning



Semester 1				
Unit 1: Modeling Linear Functions				
Traditional (3 – 4 weeks)	Block (9 – 12 days)			
Big Ideas: Functional & Graphical Re	asoning and Mathematical Modeling			
Standards Addressed in this Unit:				
A.FGR.2: Construct and interpret arithmetic sequences as functions, algebraically and graphically, to model and explain real-life phenomena. Use formal notation to represent linear functions and the key characteristics of graphs of linear functions, and informally compare linear and non-linear functions using parent graphs.				
Suggested Clusters of Concepts (Learning Objectives)				
 A.FGR.2.1 - Use mathematically applicable situations algebraically and g whose domain is a subset of the integers. A.FGR.2.2 - Construct and interpret the graph of a linear function that mo using formal notation. 	raphically to build and interpret arithmetic sequences as functions dels real-life phenomena and represent key characteristics of the graph			
 A.FGR.2.3 - Relate the domain and range of a linear function to its graph formal interval and set notation to describe the domain and r A.FGR.2.4 - Use function notation to build and evaluate linear functions for notation in terms of a mathematical framework. (See the Math contextual connections.) 	and, where applicable, to the quantitative relationship it describes. Use ange of linear functions. or inputs in their domains and interpret statements that use function <i>mematical Modeling Framework and Statistical Reasoning Framework for</i>			
A.FGR.2.5 - Analyze the difference between linear functions and nonlinear functions (linear, quadratic, exponential, absolute value, square A.MM.1.1 - Explain applicable, mathematical problems using a mathematical	ar functions by informally analyzing the graphs of various parent are root, and cube root parent curves). ical model.			
 A.MM.1.2 - Create mathematical models to explain phenomena that exist arts, and/or humanities domains. A.MM.1.4 - Use various mathematical representations and structures with 	in the natural sciences, social sciences, liberal arts, fine and performing this information to represent and solve real-life problems.			
A.MM.1.5 - Define appropriate quantities for the purpose of descriptive m	odeling.			
/athematical Practices (A.MP.1- 8) should be evidenced at some point throughout each unit depending on the tasks that are explored. It s important to note that MPs 1, 3 and 6 should support the learning in every lesson.				



Unit 2: Analyzing Linear Inequalities			
Traditional (1 – 2 weeks)	Block (3 – 6 days)		
Big Ideas: Patterning & Algebraic Rea	asoning and Mathematical Modeling		
Standards Addressed in this Unit:			
A.PAR.4: Create, analyze, and solve linear inequalities in two variables and systems of linear inequalities to model real-life phenomena.			
A.MM.1: Apply mathematics to real-life situations; model real-life phenomena using mathematics. NOTE: The following learning objective(s) will be addressed throughout the unit.			
Suggested Clusters of Concepts (Learning Objectives)			
 A.PAR.4.1 - Create and solve linear inequalities in two variables to represent applicable situations; graph inequalities on coordinate axes values A.PAR.4.2 - Represent constraints of linear inequalities and interpret data 	sent relationships between quantities including mathematically with labels and scales. a points as possible or not possible.		
A.PAR.4.3 - Solve systems of linear inequalities by graphing, including systems representing a mathematically applicable situation.			
A.MM.1.1 - Explain applicable, mathematical problems using a mathematical model. A.MM.1.4 - Use various mathematical representations and structures with this information to represent and solve real-life problems.			



Unit 3: Investigating Rational and Irrational Numbers				
Traditional (1 –2 weeks)	Block (3 – 6 days)			
Big Ideas: Numerical Reasonin	ng and Mathematical Modeling			
Standards Addressed in this Unit:				
A.NR.5: Investigate rational and irrational numbers and rewrite expressions involving square roots and cube roots.				
A.MM.1: Apply mathematics to real-life situations; model real-life phenomena using mathematics. NOTE: The following learning objective(s) will be addressed throughout the unit.				
Suggested Clusters of Concepts (Learning Objectives)				
A.NR.5.1 - Rewrite algebraic and numeric expressions involving radicals				
A.NR.5.2 - Using numerical reasoning, show and explain that the sum or and an irrational number is irrational, and the product of a nor	product of rational numbers is rational, the sum of a rational number zero rational number and an irrational number is irrational.			
A.MM.1.1 - Explain applicable, mathematical problems using a mathematical model.				
A.MM.1.4 - Use various mathematical representations and structures with this information to represent and solve real-life problems				



Unit 4: Modeling and Analyzing Quadratic Functions			
Traditional (6 – 7 weeks)	Block (18 – 21 days)		
Big Ideas: Patterning & Algebraic Reasoning, Function	al & Graphical Reasoning, and Mathematical Modeling		
Standards Addressed in this Unit:			
A.PAR.6: Build quadratic expressions and equations to represent and model real-life phenomena; solve quadratic equations in contextual situations.			
A.MM.1: Apply mathematics to real-life situations; mo NOTE: The following learning objective(s) will be addressed throughout the	odel real-life phenomena using mathematics.		
Suggested Clusters of Concepts (Learning Objectives)			
A PAR 6.2 - Eluently choose and produce an equivalent form of a quadratic expl	ession that represent a quantity in terms of its context.		
represented by the expression.			
A.PAR.6.3 - Create and solve quadratic equations in one variable and ex Mathematical Modeling Framework and Statistical Reasoning Fra	plain the solution in the framework of applicable phenomena. (See the mework for contextual connections.)		
A.PAR.6.4 - Represent constraints by quadratic equations and interpret data points as possible or not possible in a modeling framework. (See the Mathematical Modeling Framework and Statistical Reasoning Framework for contextual connections.)			
A.MM.1.1 - Explain contextual, mathematical problems using a mathema	tical model.		
A.MM.1.2 - Create mathematical models to explain phenomena that exist performing arts, and/or humanities contexts.	in the natural sciences, social sciences, liberal arts, fine and		
A.MM.1.3 - Use units of measure (linear, area, capacity, rates, and time)	as a way to make sense of conceptual problems; identify, use, and		
record appropriate units of measure within context, within dat reasoning given a conversion factor; use units within multi-ste	a displays, and on graphs; convert units and rates using proportional ep problems and formulas; interpret units of input and resulting units of		
output.			
A.MM.1.4 - Use various mathematical representations and structures with	n this information to represent and solve real-life problems.		
A.MM.1.5 - Define appropriate quantities for the purpose of descriptive m	odeling.		
Mathematical Practices (A.MP.1- 8) should be evidenced at some point throun the second structure that MPs 1, 3 and 6 should support the learning in every lesson	ighout each unit depending on the tasks that are explored. It is important t		



Unit 4 (continued): Modeling and Analyzing Quadratic Functions				
Traditional (6 – 7 weeks)	Block (18 – 21 days)			
Big Ideas: Patterning & Algebraic Reasoning, Function	al & Graphical Reasoning, and Mathematical Modeling			
Standards Addressed in this Unit:				
A.FGR.7: Construct and interpret quadratic functions from data points to model and explain real-life phenomena; describe key characteristics of the graph of a quadratic function to explain a contextual situation for which the graph serves as a model. A.MM.1: Apply mathematics to real-life situations; model real-life phenomena using mathematics.				
Suggested Clusters of Concepts (Learning Objectives				
A.FGR.7.1 - Use function notation to build and evaluate quadratic function notation in terms of a given framework. (See the Mathematical connections.)	s for inputs in their domains and interpret statements that use function Modeling Framework and Statistical Reasoning Framework for contextual			
A.FGR.7.2 - Identify the effect on the graph generated by a quadratic funct values of k (both positive and negative); find the value of k gives a second sec	tion when replacing $f(x)$ with $f(x) + k$, $kf(x)$, $f(kx)$, and $f(x + k)$ for specific ven the graphs.			
A.FGR.7.3 - Graph and analyze the key characteristics of quadratic function	ons including contextual situations.			
A.FGR.7.4 - Relate the domain and range of a quadratic function to its gra	ph and, where applicable, to the quantitative relationship it describes.			
A.FGR.7.5 - Rewrite a quadratic function representing a mathematically ap function it defines. Explain what the value describes in contex	oplicable situation to reveal the maximum or minimum value of the tt.			
A.FGR.7.6 - Create quadratic functions in two variables to represent relation axes with labels and scales.	onships between quantities; graph quadratic functions on the coordinate			
A.FGR.7.7 - Estimate, calculate, and interpret the average rate of change change of linear functions.	of a quadratic function and make comparisons to the average rate of			
 A.FGR.7.8 - Write a function defined by a quadratic expression in different function. A.FGR.7.9 - Compare characteristics of two functions each represented in 	but equivalent forms to reveal and explain different properties of the a different way.			

A.MM.1.1 - Explain contextual, mathematical problems using a mathematical model.

- A.MM.1.2 Create mathematical models to explain phenomena that exist in the natural sciences, social sciences, liberal arts, fine and performing arts, and/or humanities contexts.
- A.MM.1.4 Use various mathematical representations and structures with this information to represent and solve real-life problems.

A.MM.1.5 - Define appropriate quantities for the purpose of descriptive modeling.



Semester 2		
Unit 5: Modeling and Analyzing Exp	onential Expressions and Equations	
Traditional (2 – 3 weeks)	Block (6 – 9 days)	
Big Ideas: Patterning & Algebraic Re	asoning and Mathematical Modeling	
Standards Addressed in this Unit:		
A.PAR.8: Create and analyze exponential expressions and equations to represent and model real-life phenomena; solve exponential equations in mathematically applicable situations.		
A.MM.1: Apply mathematics to real-life situations; mo	odel real-life phenomena using mathematics.	
NOTE: The following learning objective(s) will be addressed throughout the	e unit.	
Suggested Clusters of Concepts (Learning Objectives)		
A.PAR.8.1 - Interpret exponential expressions and parts of an exponential	al expression that represent a quantity in terms of its framework. (See the	
Mathematical Modeling Framework and Statistical Reasoning Fra	mework for contextual connections.)	
A.PAR.8.2 - Create exponential equations in one variable and use them	to solve problems, including mathematically applicable situations.	
A.PAR.8.3 - Create exponential equations in two variables to represent r situations; graph equations on coordinate axes with labels a	elationships between quantities, including in mathematically applicable and scales.	
A.PAR.8.4 - Represent constraints by exponential equations and interpret	et data points as possible or not possible in a modeling environment.	
A.MM.1.1 - Explain applicable, mathematical problems using a mathema	tical model.	
A.MM.1.2 - Create mathematical models to explain phenomena that exis performing arts, and/or humanities domains.	t in the natural sciences, social sciences, liberal arts, fine and	
A.MM.1.4 - Use various mathematical representations and structures wit	h this information to represent and solve real-life problems.	
A.MM.1.5 - Define appropriate quantities for the purpose of descriptive m	nodeling.	
Mathematical Practices (A.MP.1- 8) should be evidenced at some point thround that MPs 1, 3 and 6 should support the learning in every lesson.	ughout each unit depending on the tasks that are explored. It is important to	



Unit 6: Analyzing Exponential Functions			
Traditional (4 – 5 weeks)	Block (12 – 15 days)		
Big Ideas: Functional & Graphical Re	easoning and Mathematical Modeling		
Standards Addressed in this Unit:			
A.FGR.9: Construct and analyze the graph of an exponential function to explain a mathematically applicable situation for which the graph serves as a model; compare exponential with linear and quadratic functions.			
A.MM.1: Apply mathematics to real-life situations; model real-life phenomena using mathematics.			
NOTE: The following learning objective(s) will be addressed throughout the	e unit.		
Suggested Clusters of Concepts (Learning Objectives)			
A.FGR.9.1 - Use function notation to build and evaluate exponential function function notation in terms of a context.	tions for inputs in their domains and interpret statements that use		
A.FGR.9.2 - Graph and analyze the key characteristics of simple expone	ntial functions based on mathematically applicable situations.		
A.FGR.9.3 - Identify the effect on the graph generated by an exponential of k (both positive and negative); find the value of k given the	function when replacing $f(x)$ with $f(x) + k$, and k $f(x)$, for specific values e graphs.		
A.FGR.9.4 - Use mathematically applicable situations algebraically and g whose domain is a subset of the integers	raphically to build and interpret geometric sequences as functions		
A.FGR.9.5 - Compare characteristics of two functions each represented	in a different way.		
A.MM.1.1 - Explain applicable, mathematical problems using a mathematical model.			
A.MM.1.4 - Use various mathematical representations and structures with this information to represent and solve real-life problems.			
Mathematical Practices (A.MP.1-8) should be evidenced at some point thro	ughout each unit depending on the tasks that are explored. It is important to		



Unit 7: Investigating Data		
Traditional (3 – 4 weeks)	Block (9 – 12 days)	
Big Ideas: Data & Statistical Rease	oning and Mathematical Modeling	
Standards Addressed in this Unit:		
A.DSR.10: Collect, analyze, and interpret univariate qua questions that compare groups to solve real-life proble a function to the data to answer statistical questions a	antitative data to answer statistical investigative ems; Represent bivariate data on a scatter plot and fit nd solve real-life problems.	
A.MM.1: Apply mathematics to real-life situations; mod	el real-life phenomena using mathematics.	
NOTE: The following learning objective(s) will be addressed throughout the u	ınit.	
Suggested Clusters of Concepts (Learning Objectives)		
 A.DSR.10.1 - Use statistics appropriate to the shape of the data distribution standard deviation) of two or more distributions by hand and A.DSR.10.2 - Interpret differences in shape, center, and variability of the distribution data points (outliers). (NOTE: The problem framework should be approximately approxi	to compare center (median and mean) and variability (interquartile range, using technology. stributions in the framework, accounting for possible effects of extreme d include contextual situations to apply the mathematical concept.)	
A.DSR.10.3 - Represent data on two quantitative variables on a scatter plot	and describe how the variables are related.	
A.DSR.10.4 - Interpret the slope (predicted rate of change) and the intercep A.DSR.10.5 - Calculate the line of best fit and interpret the correlation coeff the goodness of fit of the regression. Use the linear function context. (NOTE: The problem framework should include context)	ot (constant term) of a linear model in the framework of the data. icient, <i>r</i> , of a linear fit using technology. Use <i>r</i> to describe the strength of to make predictions and assess how reasonable the prediction is in textual situations to apply the mathematical concept.)	
A.DSR.10.6 - Decide which type of function is most appropriate by observin	g graphed data.	
A.DSR.10.7 - Distinguish between correlation and causation.		
 A.MM.1.1 - Explain contextual, mathematical problems using a mathematic A.MM.1.2 - Create mathematical models to explain phenomena that exist in arts, and/or humanities contexts. 	al model. the natural sciences, social sciences, liberal arts, fine and performing	
A.MM.1.3 - Use units of measure (linear, area, capacity, rates, and time) as appropriate units of measure within context, within data displays given a conversion factor; use units within multi-step problems a	a way to make sense of conceptual problems; identify, use, and record s, and on graphs; convert units and rates using proportional reasoning and formulas; interpret units of input and resulting units of output.	
A.MM.1.4 - Use various mathematical representations and structures with the	his information to represent and solve real-life problems.	
A.MM.1.5 - Define appropriate quantities for the purpose of descriptive mod	leling.	
Mathematical Practices (A.MP.1-8) should be evidenced at some point through	ghout each unit depending on the tasks that are explored. It is important to	

note that MPs 1, 3 and 6 should support the learning in every lesson.



Unit 8: Algebraic Connections to Geometric Concepts		
Traditional (2 – 3 weeks)	Block (6 – 9 days)	
Big Ideas: Geometric & Spatial Rea	soning and Mathematical Modeling	
Standards Addressed in this Unit:		
A.GSR.3: Solve problems involving distance, midpoint, slope, area, and perimeter to model and explain real-life phenomena.		
A.MM.1: Apply mathematics to real-life situations; mod	el real-life phenomena using mathematics.	
NOTE: The following learning objective(s) will be addressed throughout the	ınit.	
Suggested Clusters of Concepts (Learning Objectives)		
A.GSR.3.1 - Solve real-life problems involving slope, parallel lines, perpend	licular lines, area, and perimeter.	
A.GSR.3.2- Apply the distance formula, midpoint formula, and slope of line segments to solve real-world problems.		
A.MM.1.1 - Explain contextual, mathematical problems using a mathematic	al model.	
A.MM.1.3 - Use units of measure (linear, area, capacity, rates, and time) as appropriate units of measure within context, within data display given a conversion factor; use units within multi-step problems	a way to make sense of conceptual problems; identify, use, and record s, and on graphs; convert units and rates using proportional reasoning and formulas; interpret units of input and resulting units of output.	
A.MM.1.4 - Use various mathematical representations and structures with t	his information to represent and solve real-life problems.	
A.MM.1.5 - Define appropriate quantities for the purpose of descriptive mod	leling.	



Unit 9: Culminating Capstone Unit	
Traditional (1 – 2 weeks)	Block (2 – 4 days)
ALL standards are addressed in this unit.	
The capstone unit applies content that has already been learned in previous interdisciplinary PBLs and units throughout the school year. The capstone unit is an interdisciplinary unit that allows students to create a presentation, report, or demonstration that could include their models used to answer an overarching driving question. (e.g., Students can present their solution(s), findings, project, or answer to the driving question to a larger audience during the culminating capstone unit.)	